Building simulators

Simulation:

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- Model the the system, using software, hardware, or both.
- Model is a behaving the way the system should behave
- Model can run programs, user can interact with the model
 Perform experiments on this model
- Kev issue: Abstraction.
- Model will not be the real thing
- It won't have all details
- It won't run at the same speed as the real machine, probably much slower than the real thing.

Simulation: an example

Take an airplane design

- Aerodynamics are tested on a scale model in a windtunnel
- Everything is scaled down.
- It is made from other material
 - There are no passenger seats inside, abstracted away.

Simulation of computer systems works in a similar way:

- We do not model simply by scaling,
- Hardware / Software is going to be modelled by software (and possibly hardware)
- There is no such thing as scaling here.

Simulation: benefits

Simulation is cheap • Cheaper than building a system for real.

Simulation can be done during an early stage of design • First 4 months of development.

Simulation allow you to perform "what-if" experiments

- What happens if we double the speed of the processor-clock?What if we remove a cache?
- What if we use a different routing algorithm?

Simulation is a proof of concept.

Precision of Simulation?

- Modelling: Abstraction from reality
- Simplifications
- Things have been made orthogonal
- Laws (invariants):

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Model

High level

- Forget it.

• Memory:

• Bus:

Cache:

Processor:

How accurate?

Continuous time:

continuously

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- A model is never correct
- Detail may lead to higher accuracy
- Model is as weak as weakest component
- Execution Speed = $\frac{1}{\text{Detail}}$
- Find balance
- Between details and speed

- Simple queueing model

Probability model 95%/5%
100% Hit (PRAM)

critical sections in software

• $\lim \delta t \perp 0$ gives better approximations.

Not solved, mostly a crude approximation

predictions, chip simulations.

Constant time steps

. Low level computer hardware.

Stabilise circuit

time = time + dt

Until time > end time

• Execution Speed = $O\left(\frac{1}{\delta t}\right)$

• No choice in setting δt .

Example of circuit simulation:

Repeat

No choice in δt

Observe

Used to simulate systems with a clock:

Small steps δt model exact behaviour.

analytical model).

Continuous time

Between details in components of simulator

- or Forget the bus completely (PRAM)

- (Pseudo) Random accesses, or pick random pieces of traces.

· Still tells something about behaviour, especially the contention on

• take small steps δt to approximate time that should flow

Mostly used to "solve" differential equations that define the model

· Solving the equation would give a precise answer (and an

•Accuracy is constant; worthless if circuit cannot stabilise in δt

Gas flow, Computational Fluid Dynamics, known as CFD, Weather

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Level of Detail

Low level

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The primary factor affecting the precision of discrete simulators is the level of detail

Choice in level of detail:	Architecture example
• Low	transistors/gates
Medium	Instructions, memory trace
• High	abstract from application

Lets study the possibilities for a machine:

 Multiprocessor system with 4 processors and a bus running some fantastic program.

Simulation models

Basic decision about the type of the simulation model: • Functional Simulator

- Causal relationships only; functional simulation.

Continuous time

- Time flows continuously, as in physical problems.

· Constant time

Time flows with constant steps dictated by a clock, as in a computer.

Discrete time

- Time makes irregular steps, as in queueing problems.

Continuous time example, a chip

Initialise charges
Repeat
For every square micrometer
Calculate new charge
EndFor
time = time + dt ;
Until next week
Observe:

• Execution Speed = $O\left(\frac{1}{\delta t}\right)$

•Accuracy = $O\left(\frac{1}{\delta t}\right)$ Accuracy is limited by numerical stability and step size

Lowest levels: make a complete implementation in logic (transistors,

- gates)

 Simulate this implementation at electronic level (voltages,
- currents, ...) ⇒ Execution time, tens of hours per clock-cycle – Gives information about timings within clock-cycle
 - Does not tell anything about timings of program
- Simulate this implementation at Digital level (0/1) \Rightarrow Quite a bit faster, minutes per instruction?
 - Does not tell anything about timings of program

Functional Simulators

- Execute functionality of a system.
- Ignores timing constraints.
 - Cache is as fast as a memory.
- Addition is as fast as square root.
- Useful if you just want to check whether a system is functionally correct, and you aren't too bothered about timings.
- Models all causal constraints
 ⇒ Observes flow of time
- \Rightarrow Forces that X must happen after Y and Z have happened.

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Implementing continuous time

- In general two sets of state variables
- One contains current values
- One to calculate new values
- Copy new to old every iteration
 Repeat
- Calculate New state from Old Time = Time + dt Copy New to Old
- Until ...
- Optimisations:

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- Use two sets alternating (no need to copy)
- . When there are no dependencies a single state suffices

Medium level

Model of the components:

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- Memory:
- -Model it as an array of bytes (or integers)
- Simple model: bus is in use or not
- Could incorporate arbitration timings
- Cache:
- Software implementation of set associative cache • Processor:

Instruction interpreter

 \approx 1000 instructions per second.

Bottleneck:

- Processor simulation
- Can be solved with a simple trick

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Implementing a Functional Simulator

the activity of another component of the system.

- Strategy above may work, if you can execute concurrent

- Eq. main program asks ten processors to execute an

Implementing Continuous Time

(1-c*4)*dt*ocharge[x,y] ;

- One function in a program can call another function to simulate

- Otherwise; you will need processes and a clock to synchronise

c*dt*ocharge[x,y-1] + c*dt*ocharge[x,y+1] +

c*dt*ocharge[x-1,y] + c*dt*ocharge[x+1,y] +

Every action will cause another action to happen.
If there are no concurrent activities:

• If there are concurrent activities:

instruction; one at a time

activities sequentially

them

E.g.,

Difficulty of continuous time:

for all x, y do

ncharge[x,y] =

Errors accumulate quickly!Take a good approximation (Euler)

· Find the right approximations.

Charge distributes through a plane:

This is often an integration by discrete steps.

Implementing Constant Time

- Constant time: trivial
- . Like continuous time, but there are no circular dependencies (-direct feedback in your machine!) (- Might have a two clock scheme) Work out dependencies
- update from left to right.

Repeat

- For all phases i of the clock Do all operations for clock phase i Until ...
- long virtual time ; ⇒ You do not need to maintain the clock! Until time > end time Increment it when necessary. Observe that this is an exact simulation COMS30201 October 11 2001 Henk Muller October 11, 2001 Henk Mulle COMS20201 October 11 200 Henk Mulk October 11, 2001 Event List: Time 11:12. Queue: 0 Event List: Time 11:19. Queue: 1 Event List: Time 11:21, Queue: 0 Event List: Time 11:23. Queue: 1 11:12 Customer arrives 11:12 Customer arrives 11:12 Customer arrives 11:12 Customer arrives REPEAT REPEAT REPEAT REPEAT Time = of head of list Take one from list Take one from list Take one from list Take one from list 11:19 Teller readv 11:19 Teller readv 11:19 Teller readv 11:19 Teller readv TE customer THEN TE customer THEN TE customer THEN IF customer THEN queuelength++ queuelength++ queuelength++ queuelength++ 11:21 Customer arrives 11:21 Customer arrives 11:21 Customer arrives If teller ready THEN If teller ready THEN If teller ready THEN If teller ready THEN 11:21 Customer arrives queuelength -gueuelength--

Event List: Time 11:26, Queue: 2

Time+7: teller ready

UNTIL list is empty.

REPEAT	1	11:12	Customer arrives
Time = of head of list			
Take one from list	1	11:19	Teller ready
IF customer THEN queuelength++			·
If teller ready THEN	1	11:21	Customer arrives
queuelength			·
UNTIL list is empty.	1	11:23	Customer arrives
			·
	•	11:26	Teller ready

11:23 Customer arrives

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Implementation can be painful

Writing it with a single loop becomes a pain when there are more than two components

- · Requires a concurrency model
- · A central process manages the event list.

Time+7: teller ready

UNTIL list is empty.

· Processes can add events to the event list.

• Events are executed and scheduled by passing them to a process.

11:23 Customer arrives



The Virtual Clock

The virtual clock maintains the current time, event list and acts as the scheduler.

- Each process sends a request to the clock to be stopped for n timeunits
- . The virtual clock will send a message 'Ok, you have waited long enough' when n has passed.
- The virtual clock schedules the other processes.
- The blobs are "Objects".
- The square thing is a scheduler
- The arrows indicate communication between objects and the scheduler.

Discrete Event Simulators in C

typedef struct event { struct event *next, int time ; process context *c ; } event ; static event *head = 0 ;

• 11:26

11:23 Customer arrives

Teller ready

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```
int main( void ) {
  event *tmp ;
  while( head != NULL ) {
    tmp = head:
    now = tmp->time ;
    head = head->next ;
    (*tmp->c->func)( tmp->c ) ;
    free( tmp ) ;
```

Conclusions

Advantage:

. You don't have to physically build the system

Before simulating:

- Think before you start:
- What is the purpose (functionality? Timings?)
- Can't you solve it analytically?
- What level of detail is important?
- What is the expected run time (number of computations)
- What is the accuracy?
- All choices that must be made explicitly before making a simulator. Balance
- Whole system is accurate as worst component
- ⇒ Makes no sense to have some very accurate parts (unless to
- convince yourself of the functionality)

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Discrete time

Take time step until next interesting point. Nothing happens between time steps, time steps differ in length Mostly used to simulate queueing systems: Cars at a traffic light, Messages in a network, · Customers in a bank, example: Repeat Wait till something happens If customer arrives. queuelength=queuelength+1 If teller ready, queuelength=queuelength-1

Virtual Time

All simulation models have something with time. May flow continuous or in discrete steps, but there is such a thing as time

A simulator runs in its own time space

- ⇒ Simulator implements a virtual clock.
- A virtual clock ticks, and defines the simulation time.
- It runs typically slower than a real clock (real time).

An example implementation of the clock:



Implementing Discrete simulators

- Simplest way: maintain an event list. • Event: what is to happen when
- · Sorted on Time of event
- Execute event on first element of list
- May generate future events in the list
- Time is defined by first element
- We will first discuss the event list in detail
- Example:
- Bank with customers.